

Sensor Networking for Detection

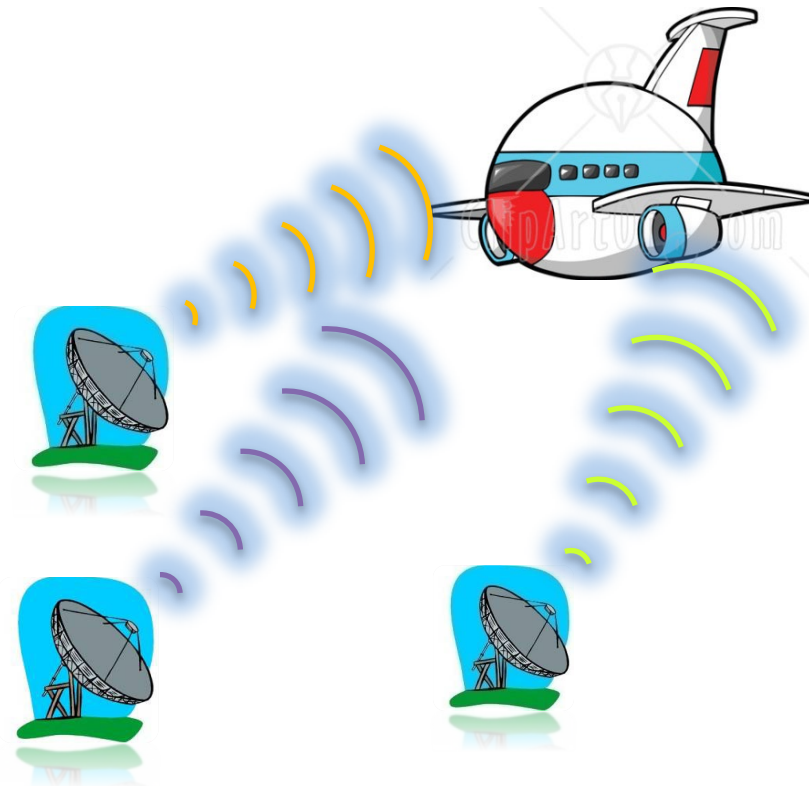
From Distributed Detection to Energy Savings,
MIMO Radar and Image Fusion

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UNIVERSITY

Many collaborators & students
contributed to the work discussed,
see research papers



Sensor Networking

- Military systems frequently employ sensors connected by communication networks.
- Becoming more popular in commercial applications.
- Trend towards simple, less expensive, sensor nodes carrying their own power connected by wireless networks.



Outline



What do we mean by “Sensor Networking for Detection”?

- Example applications

Distributed Detection

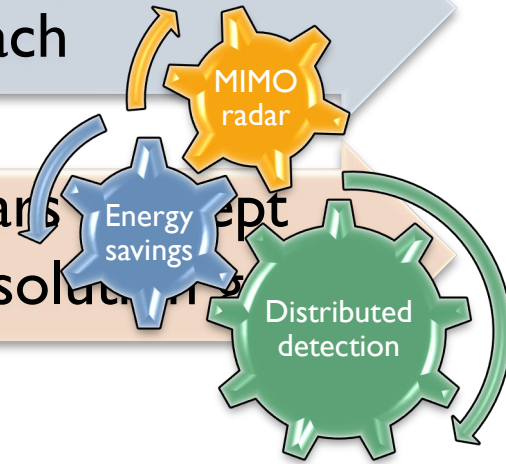
- Problem definition
- Review of some results

Energy Savings

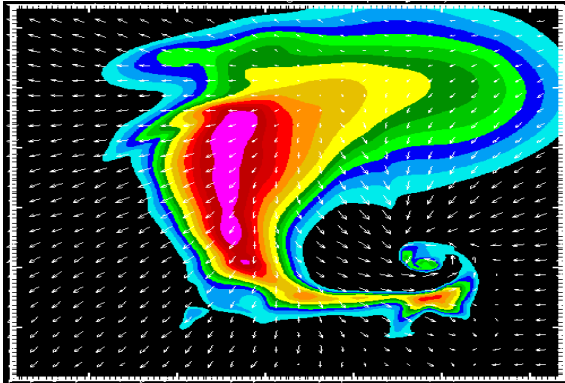
- Goal and censoring approach
- Ordering approach

MIMO Radar

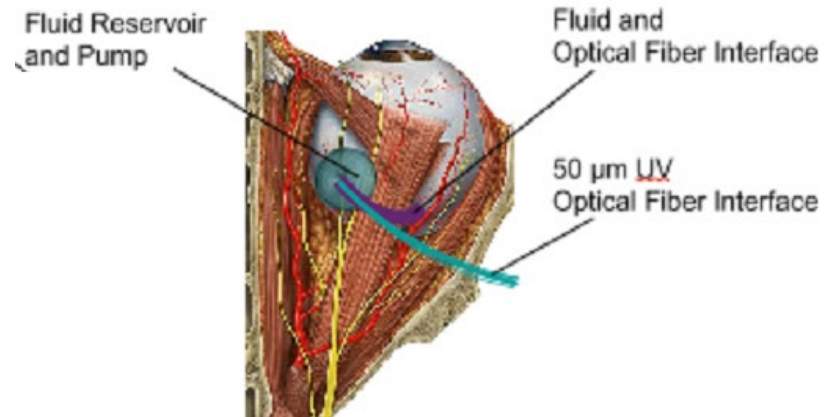
- Network of radars
- Diversity and resolution



Some Non-military Applications



Weather monitoring



Bioimaging, biosciences:
Cell imaging



Animal monitoring



Structure monitoring

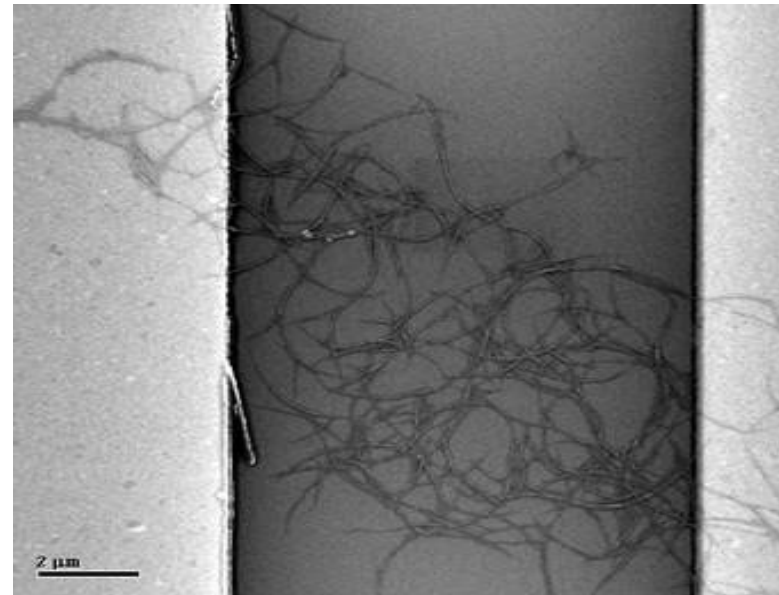
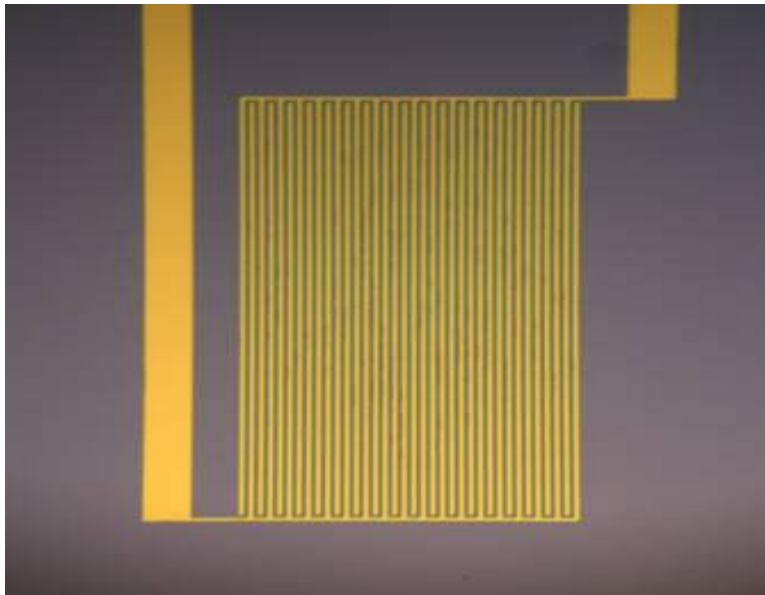


UMASS Distributed Radar



Nanotechnology: Small Sensor Trend

- Development of Large array of nanotechnology-based sensors to detect chemical leaks.



Signal Detection Sensor Networks

- All these applications (and many others) attempt to solve a hypothesis testing problem
 - H_0 : $f_X(x_1, \dots, x_N | H_0)$ is joint pdf of observations at sensors one through N
versus
 H_1 : $f_X(x_1, \dots, x_N | H_1)$ is joint pdf of observations at sensors one through N
 - *Probability of error = Prob(we choose wrong) = P_e*



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Distributed Detection

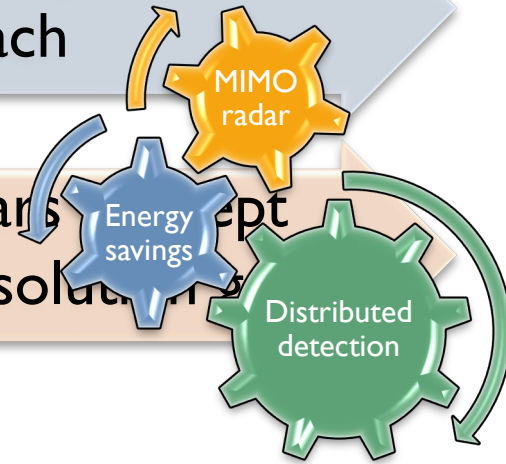
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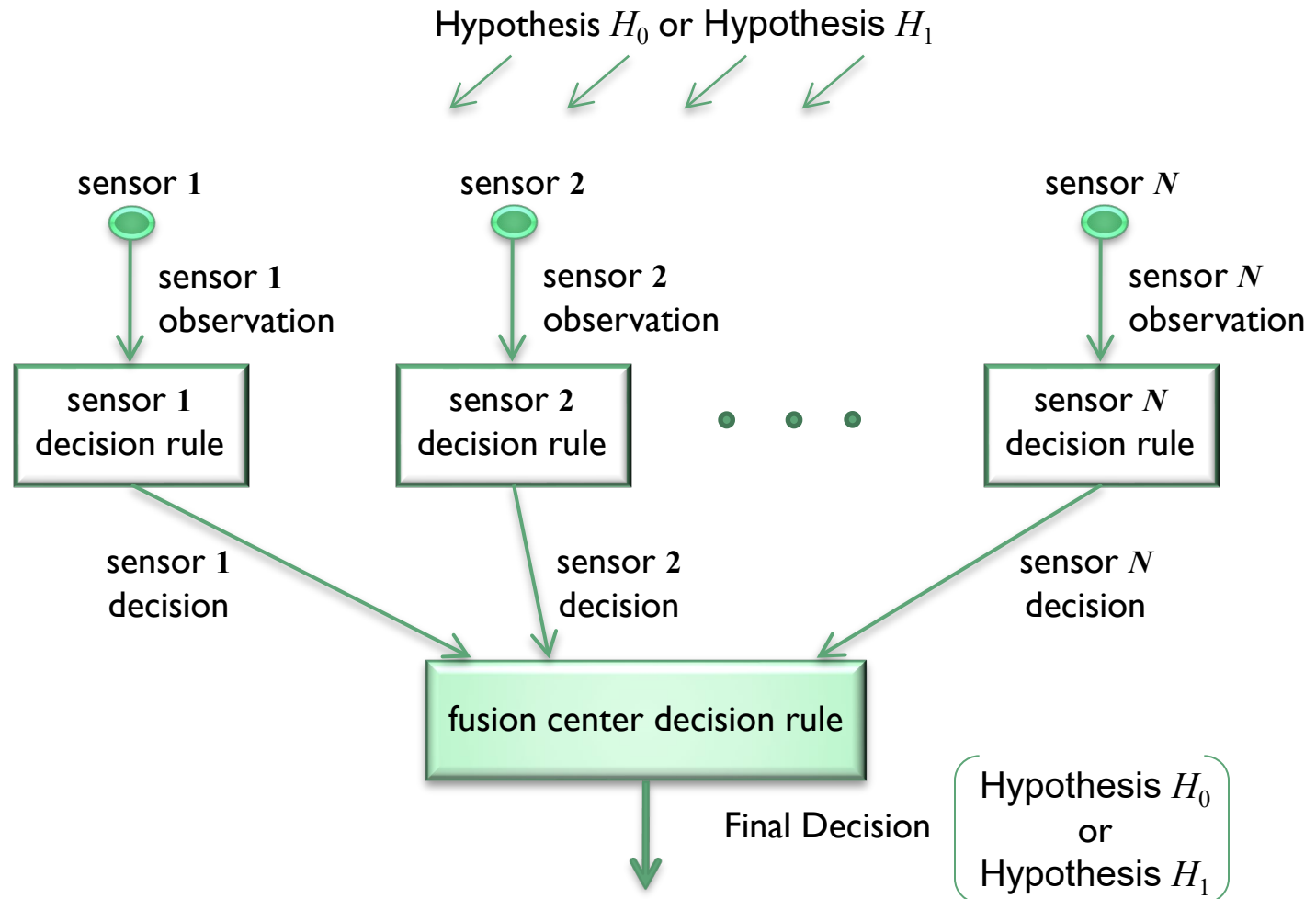
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MIMO Radar

- Network of radars
- Diversity and resolution



Distributed Signal Detection



Research Groups



Who are working on Distributed Detection ?





[Biao Chen, Lang Tong, and Pramod K. Varshney]

Distributed
Signal
Processing
in Sensor
Networks

Channel-Aware Distributed Detection in Wireless Sensor Networks

[The integration of wireless channel conditions in algorithm design]

In a distributed detection (DD) system, multiple sensors/detectors work collaboratively to distinguish between two or more hypotheses, e.g., the absence or presence of a target. While DD can be traced back to the advent of democracy and associated voting schemes, one of its earliest formal treatments can be found in the work of Radner in the early 1960s, [1] who considered the problem of decision making by a team of multiple persons. Each person has access to different information and independently makes his/her decision. The coupling (i.e., the concept of a "team") lies in the fact that the payoff function of the decision-making process depends on all the decisions and the state of situation in an inseparable way.

Distributed Detection With Multiple Sensors: Part I—

RAMANARAYANAN VISWANATH

Invited Paper

In this paper, basic results on distributed detection are presented. In particular, we consider the case of parallel processing of independent observations.

Distributed Detection with Multiple Sensors: Part II—Advanced Topics

RICK S. BLUM, MEMBER, IEEE, SALEEM A. KASSAM, FELLOW, IEEE, AND H. VINCENT POOR, FELLOW, IEEE

Invited Paper

Following the foundational work that established basic ideas for optimum distributed detection schemes using multiple sensors (as reviewed in Part I of this two-part review), further work on distributed detection has developed many useful extensions of the basic concepts. This review presents a parallel those that have been developed in the last 50 years.

statistical models for noise and signals, obtained for fixed-sample-size detectors under the Neyman-Pearson, Bayes, or minimax criteria, with particular interest in optimum problems for deterministic coherent and narrowband signals. This systematic study of classical distributed detection has been a major focus of research in the last 50 years.

J. N. Tsitsiklis Decentralized Detection

Advances in Statistical
Signal Processing
Signal Detection
Volume 2
H. V. Poor and J. B. Thomas

Greenwich, CT: JAI press, 1993.

Pramod K. Varshney

Distributed Detection and Data Fusion



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Distributed Signal Detection

- If observations independent from sensor to sensor under hypothesis

$$f_X(x_1, \dots, x_N | H_j) = f_X(x_1 | H_j) f_X(x_2 | H_j) \cdots f_X(x_N | H_j), \text{ then}$$

optimum sensor tests quantize the likelihood ratio (LR) — Tsitsiklis, Willet, Reibman, Viswanathan

$$L_i = \frac{f_X(x_i | H_1)}{f_X(x_i | H_0)}$$

- This simplifies the task of finding optimum sensors decision rules from a functional optimization to that of finding a few unknown scalars, the sensor thresholds.



Distributed Signal Detection

- If the observations are statistically dependent from sensor to sensor under a given hypothesis, then the problem is hard in general.
- If observations are dependent from sensor to sensor, can show that the task of finding optimum sensor rules is NP-complete in general — Tsitsiklis

J. N. Tsitsiklis, "Decentralized Detection," in Advances in Statistical Signal Processing - Vol. 2: Signal Detection, H. V. Poor and J. B. Thomas, Eds. (JAI Press: Greenwich, CT, 1993)



Distributed Signal Detection

- For the special case of weak signals (LO) in additive noise with general pdf f , we can again simplify the problem to finding a set of scalar unknowns.
- Let f'' and f' be derivatives of the noise pdf with respect to its argument. Optimum sensor decisions for random signals (x_1 the observation) made using

$$\frac{f''(x_1)}{f(x_1)} + a_1 \frac{f'(x_1)}{f(x_1)} > t_1$$

Need to find a_1 and threshold t_1

R. S. Blum and S.A. Kassam, "Optimum distributed detection of weak signals in dependent sensors," IEEE Transactions on Information Theory, IT-38, pp. 1066-1079, May 1992.



Distributed Signal Detection

- The optimum test at sensor one:

$$\frac{f''(x_1)}{f(x_1)} + a_1 \frac{f'(x_1)}{f(x_1)} > t_1$$

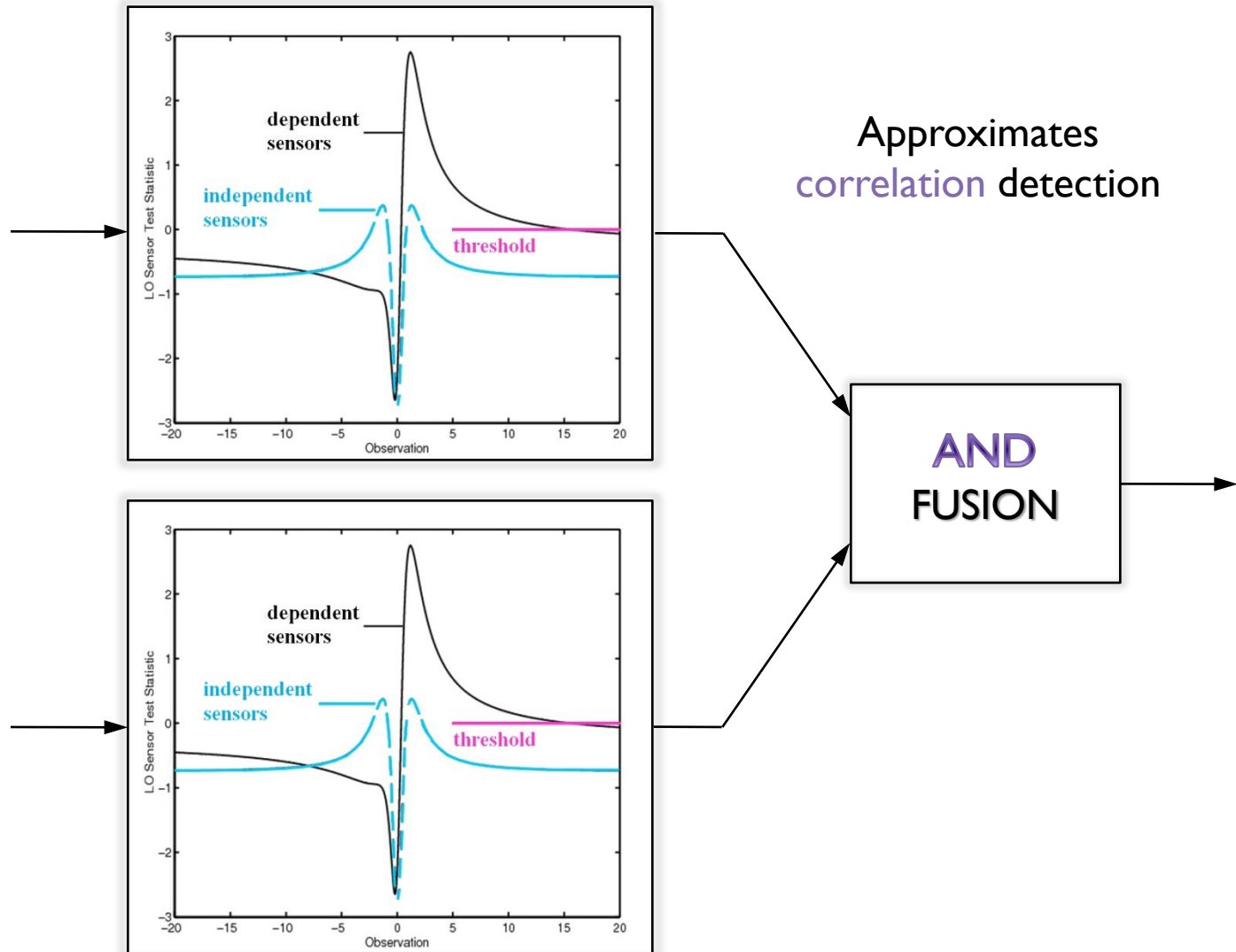
can be seen as an attempt to approximate the optimum centralized weak signal (LO) test

$$\frac{f''(x_1)}{f(x_1)} + 2 \frac{f'(x_1)}{f(x_1)} \frac{f'(x_2)}{f(x_2)} + \frac{f''(x_2)}{f(x_2)} > \tau_1$$

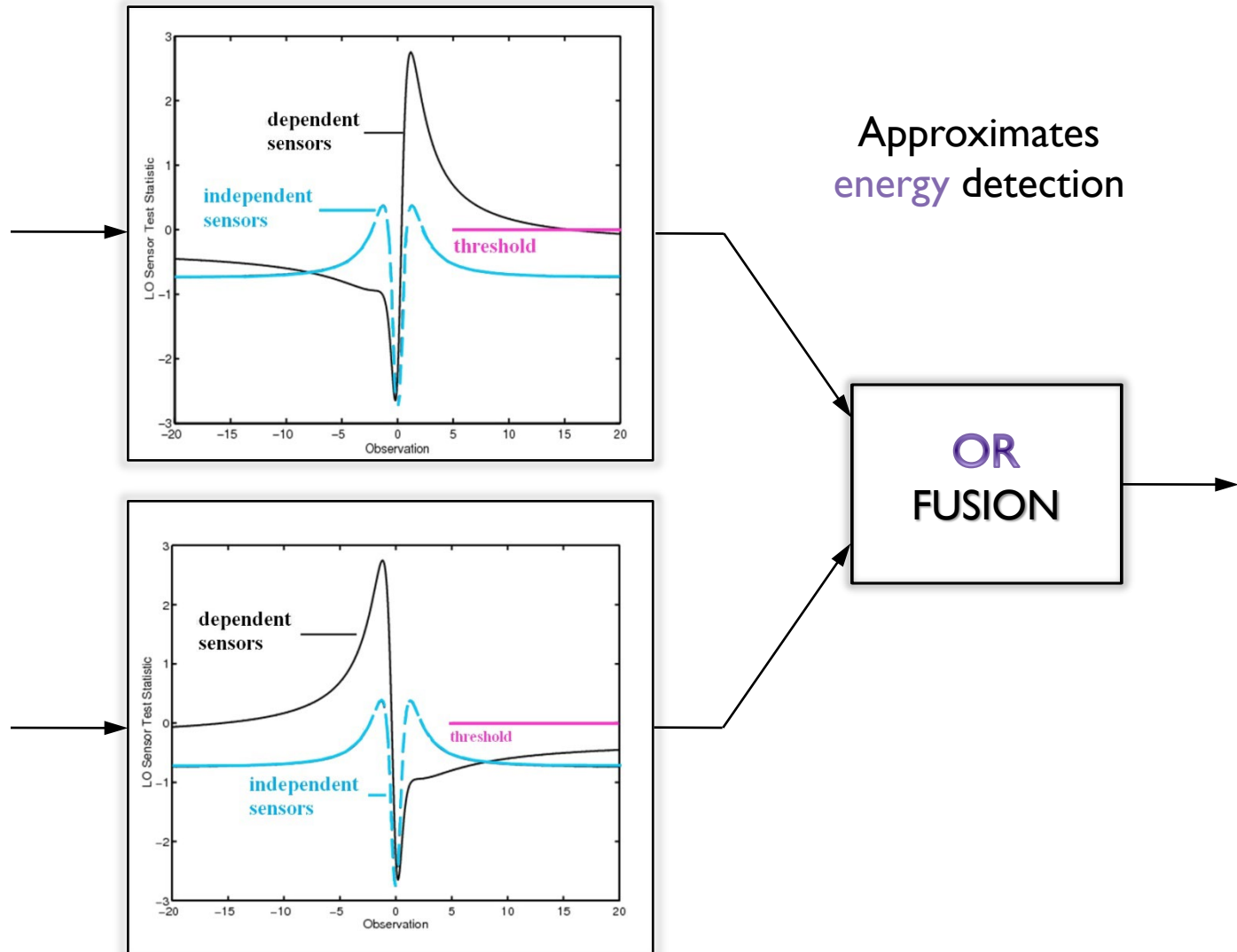
where a_1 involves an expected value of $\frac{f'(x_2)}{f(x_2)}$ given a decision for H_1



Distributed Signal Detection



Distributed Signal Detection



Distributed Signal Detection

- For cases of nonweak signals, can sometimes find optimum tests analytically.
- For the case of known signals in Gaussian noise, have shown likelihood ratio tests are sometimes optimum at the sensors, sometimes not, and some cases are hard to determine.

P. Willett, P. F. Swaszek and R. S. Blum, ``The good, bad, and ugly: distributed detection of a known signal in dependent Gaussian noise,`` IEEE Transactions on Signal Processing, pp. 3266-3279, Dec 2000.



Outline

What do we mean by “Sensor Networking for Detection”?

- Example applications

Distributed Detection

- Problem definition
- Review of some results



Energy Savings

- Goal and censoring approach
- Ordering approach

MIMO Radar

- Network of radars
- Diversity and resolution

Energy savings

Distributed detection



Assumptions/Definitions

- Observations iid across sensors given $H_j, j=0,1$
- Sensors transmit a real valued quantity to a fusion center where final decision is made
- Consider Bayesian formulation with priors

$$\pi_0 = \text{Prob}(H_0), \quad \pi_1 = \text{Prob}(H_1)$$

- Define sensor likelihood ratio:

$$L_i = \frac{f_X(x_i | H_1)}{f_X(x_i | H_0)}$$

- Optimum N sensor (unconstrained) test compares $\sum_{i=1}^N \ln(L_i)$ to threshold $\beta = \ln\left(\frac{\pi_0}{\pi_1}\right)$



Popular Energy Efficient Approach: Censoring

- Each sensor transmits only if likelihood ratio sufficiently extreme: $L_i > t_{SU}$ or $L_i < t_{SL}$
- Will reduce transmissions/Energy at cost of loss in P_e
- See (for example):

C. Rago, P. Willett, and Y. Bar-Shalom, "Censoring sensors: A low communication-rate scheme for distributed detection," IEEE Transactions on Aerospace and Electronic Systems, vol. 32, pp. 554–568, April 1996.

S. Appadwedula, V. V. Veeravalli, and D. L. Jones. "Energy Efficient Detection in Sensor Networks," IEEE Journal on Selected Areas in Communications, Volume 23, Issue 4, pp. 693–702, April 2005.



Ordering Approach Outlined

- Each sensor decides to transmit on its own, most informative transmit first, stop transmissions when overwhelming evidence for one hypothesis.
- Each sensor transmits L_i after $K/|\ln(L_i)|$ seconds, $K > 0$ arbitrary small, so most informative transmit first
- Stop when sum of log-likelihood ratios of sensor transmitted exceeds t_L or t_U

sum of log-likelihood ratios $< t_L$ pick H_0 ,

sum of log-likelihood ratios $> t_U$ pick H_1

Can choose t_L and t_U so that energy is saved while P_e same as optimum unconstrained test.



Ordering Approach (cont.)

$$t_U = \beta + n_{UT} | \ln(L_{N-n_{UT}}) |$$

$$t_L = \beta - n_{UT} | \ln(L_{N-n_{UT}}) |$$

unconstrained opt. threshold

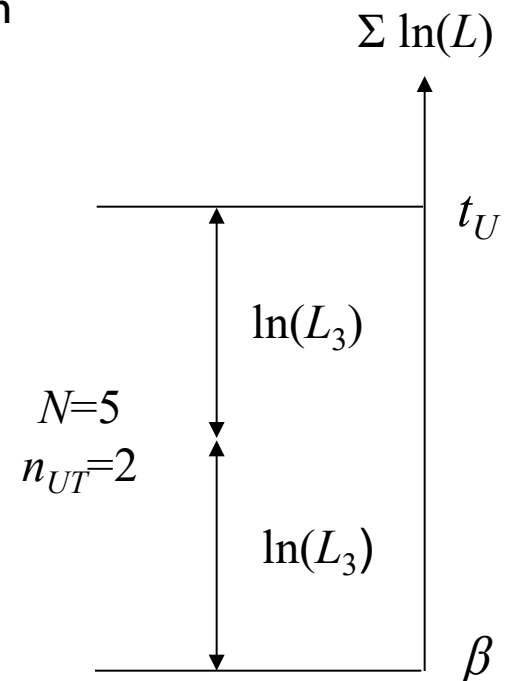
Last sensor transmission

n_{UT} is number of sensors who did not yet transmit

largest possible magnitude contribution from the sum of the sensor LLRs that did not yet transmit

Once sum of LLRs from transmitting sensors is larger than t_U , sum will have to be larger than β , regardless of the data at the sensors that didn't transmit.

Thus even without transmitting further, we can implement the energy unconstrained approach, with fewer transmissions.



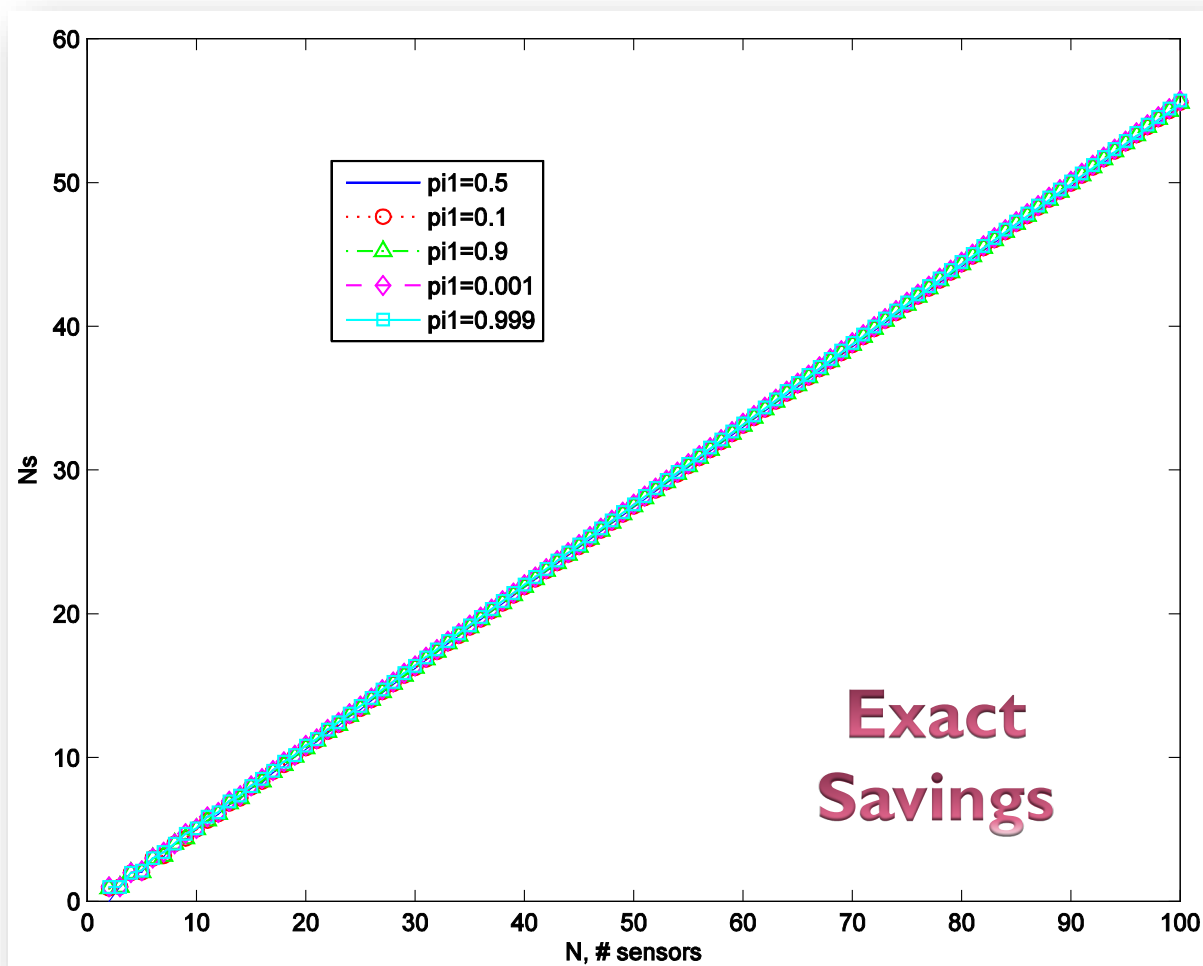
So with Prob one we save energy, but How large are Gains from Ordering?

For any reasonable N-sensor binary hypothesis problem (P_e decreases with SNR-like quantity s), for sufficiently large s the average number of transmissions saved over the optimum unconstrained energy approach is strictly larger than $N/2$.

Example: Known signal in additive noise with symmetric unimodal noise pdf

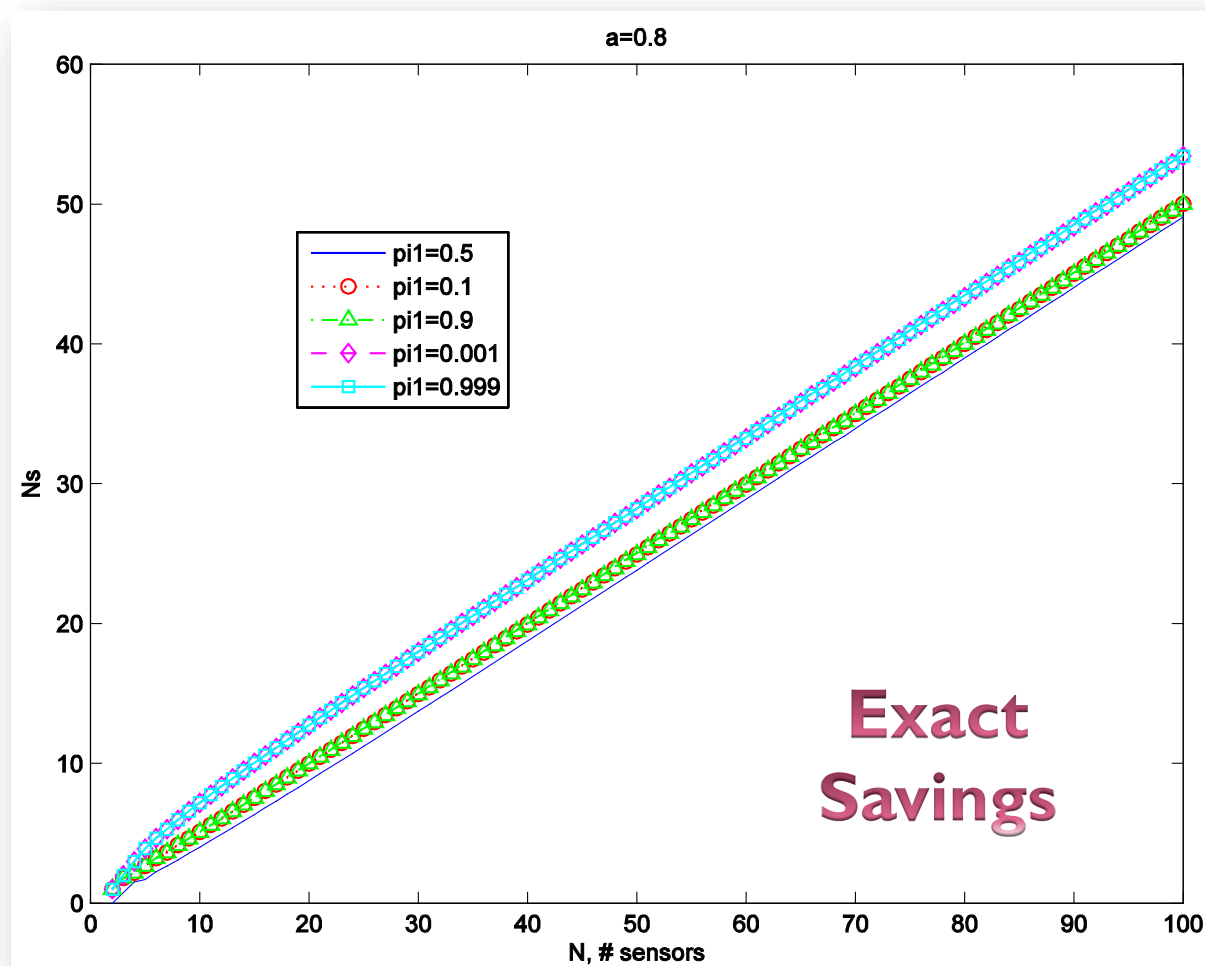
$$x_j = \theta + n_j \quad \begin{cases} \theta = 0 & \text{under } H_0 \\ \theta = s > 0 & \text{under } H_1 \end{cases}$$





- Average number of transmissions saved over the optimum unconstrained energy approach for signal strength $s=5$, various number of sensors and prior probabilities $pi1 = Prob(H1)$, and a known signal in $N(0,1)$ Gaussian noise.





- Average number of transmissions saved over the optimum unconstrained energy approach for signal strength $s=0.8$ and various number of sensors for a known signal in $N(0,1)$ Gaussian noise.



Ordering for Signal Detection

- R. S. Blum and B. M. Sadler, "Energy Efficient Signal Detection in Sensor Networks using Ordered Transmissions," IEEE Transactions on Signal Processing, Volume 56, Issue 7, Part 2, pp. 3229-3235, July 2008.
- R. S. Blum and Brian Sadler, "A New Approach to Energy Efficient Signal Detection," CISS 2007.



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Energy Savings

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- Ordering approach



MIMO Radar

- Network of radars concept
- Diversity and resolution gains

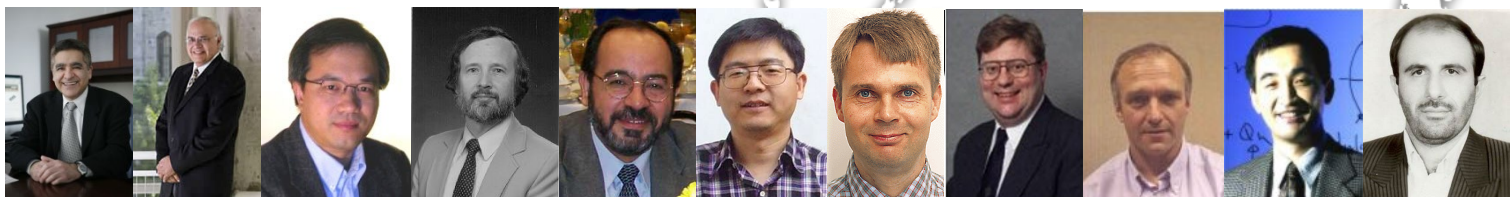


MIMO Radar is Attracting Attention

- Research groups from all over the world



People working on MIMO Radar



MIMO Radar Special Issue -2009



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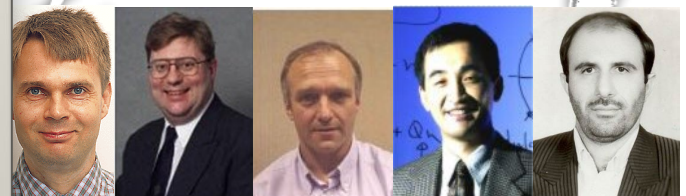
Special Issue on MIMO Radar and Its Applications

Input and multiple-output) radar has been receiving increasing attention from practitioners, and funding agencies. MIMO radar is characterized by multiple antennas to simultaneously transmit multiple (possibly linearly independent) signals and receiving antennas to receive the reflected signals. Like MIMO communication, MIMO radar is a paradigm for signal processing research. MIMO radar possesses significant advantages in resolution enhancement, and interference and jamming suppression. These advantages can result in much improved target detection and recognition performance.

The purpose of this special issue is to introduce recent developments on MIMO radar, its theory, and applications on the topic, and to foster further crossfertilization of ideas.

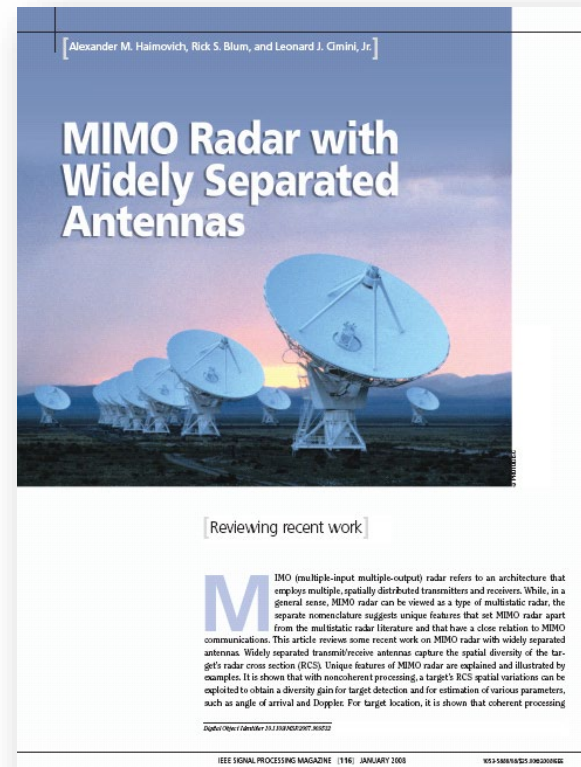
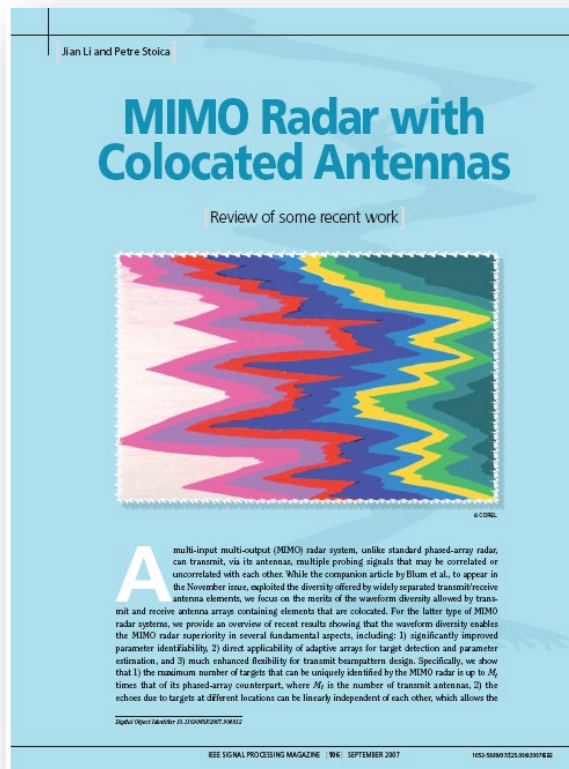
Papers should be previously unpublished and not currently under review by another journal. The scope of this special issue includes, but is not limited to:

- MIMO radar.
- Beamforming analysis and optimization for MIMO radar.
- Adaptive MIMO radar.
- Radar system design/calibration.



Two types of MIMO Radar

- Classified by antenna configurations



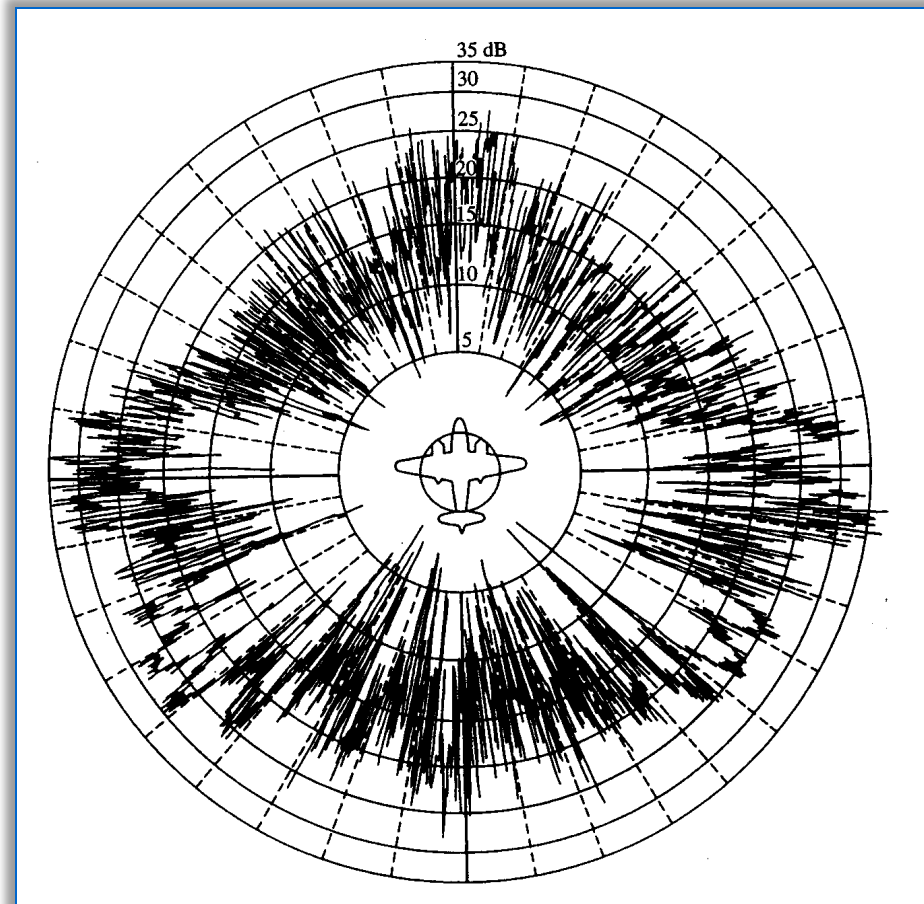
Widely Separated MIMO Radar

- With MIMO radar, many "independent" radars collaborate to average out target fluctuations, while maintaining the ability to detect target (measure range, AOA).
- MIMO radar offers the potential for significant gains:
 - Detection/estimation performance through **diversity gain**
 - Resolution performance through **spatial resolution gain** (create bandwidth)
- A first step to a cooperative radar network.



Motivation

- Conventional radars experience target fluctuations of 5-35 dB
- Slow RCS fluctuations (Swerling I model) cause long fades in target RCS, degrading radar performance.
- MIMO radar exploits the **angular spread** of the target backscatter in a variety of ways to extend the radar's performance envelope.

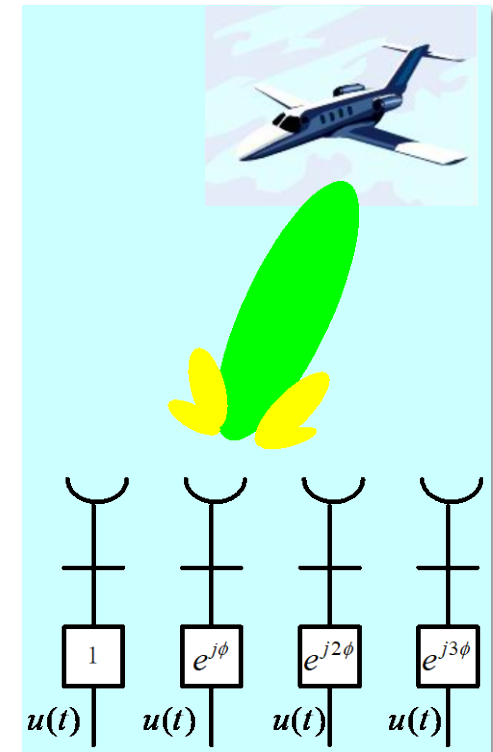


Backscatter as a function of azimuth angle, 10-cm wavelength [Skolnik 2003].



Traditional Beamformer

- A typical array radar is composed of many closely spaced antennas.
- The performance of radar systems is limited by target RCS fluctuations, which are considered as unavoidable loss.
- The common belief is that radar systems should maximize the received signal energy. This is made possible by the high correlation between the signals at the array elements.



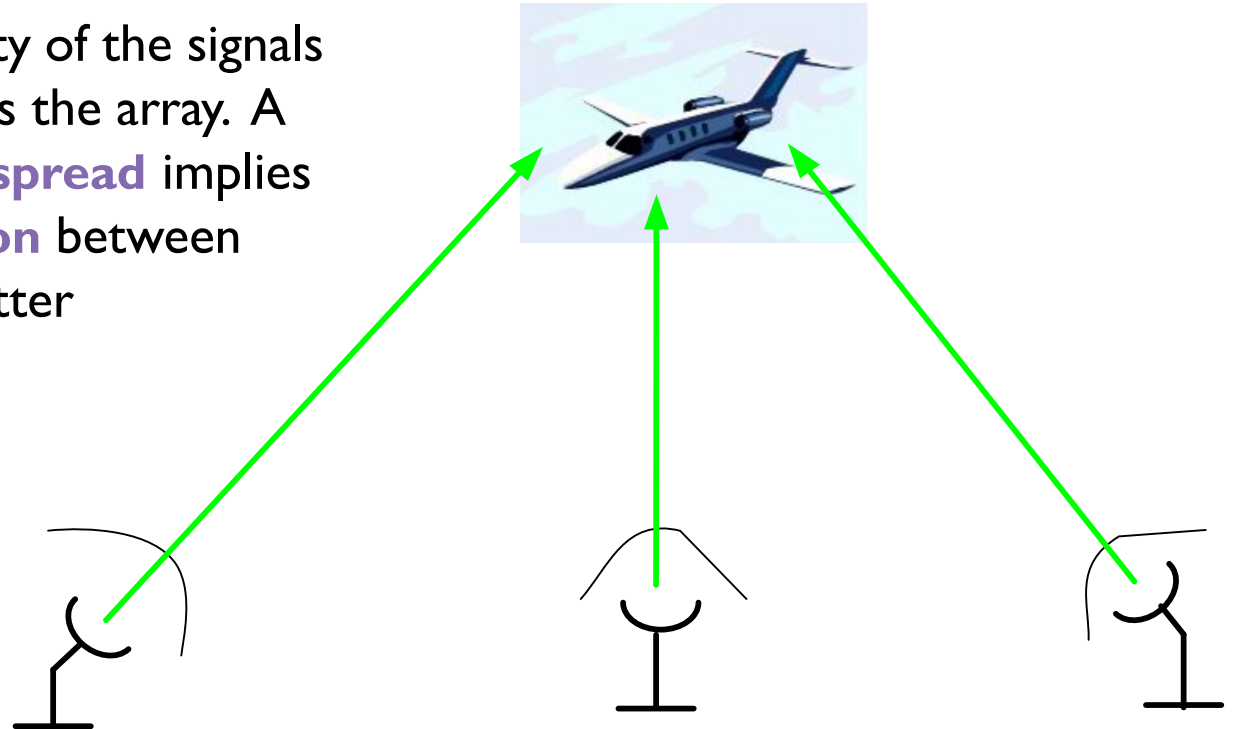
Beamformer mode:

- Copy waveform



MIMO with Angular Diversity

Angular spread - a measure of the variability of the signals received across the array. A **high angular spread** implies **low correlation** between target backscatter



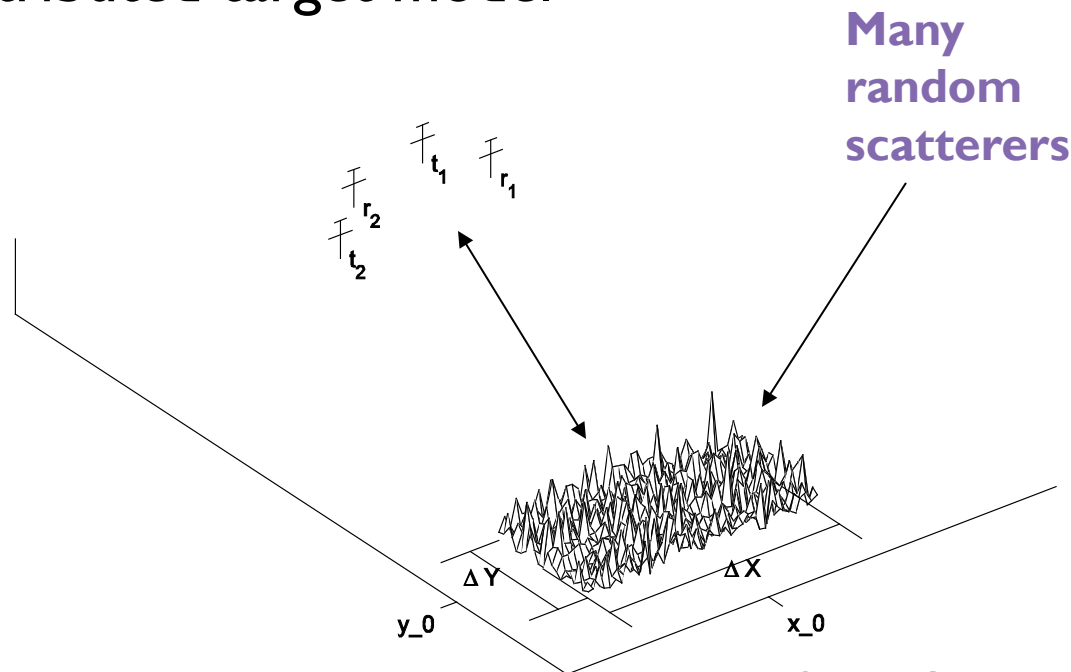
MIMO mode:

- Exploit angular spread
- Orthogonal waveform



Signal Model

- Point source assumption dominates current models used in radar theory.
- This model is not adequate for an array of sensors with large spacing between array elements.
- Distributed target model



Signal Model (Cont.)

$$\mathbf{r}(t) = \sqrt{\frac{E}{M}} \mathbf{H} \mathbf{s}(t - \tau) + \mathbf{n}(t)$$

- Signal energy: E
- Transmit antennas: M
- Vector of transmitted waveforms: $\mathbf{s}(t)$
- Observation: $\mathbf{r}(t) = [r_1(t), \dots, r_N(t)]^\dagger$
- Channel matrix: target gain between transmitter k and receiver l : $[\mathbf{H}]_{lk} = h_{lk}$
- Noise: $\mathbf{n}(t) = [n_1(t), \dots, n_N(t)]^\dagger \sim CN(0, \sigma^2)$

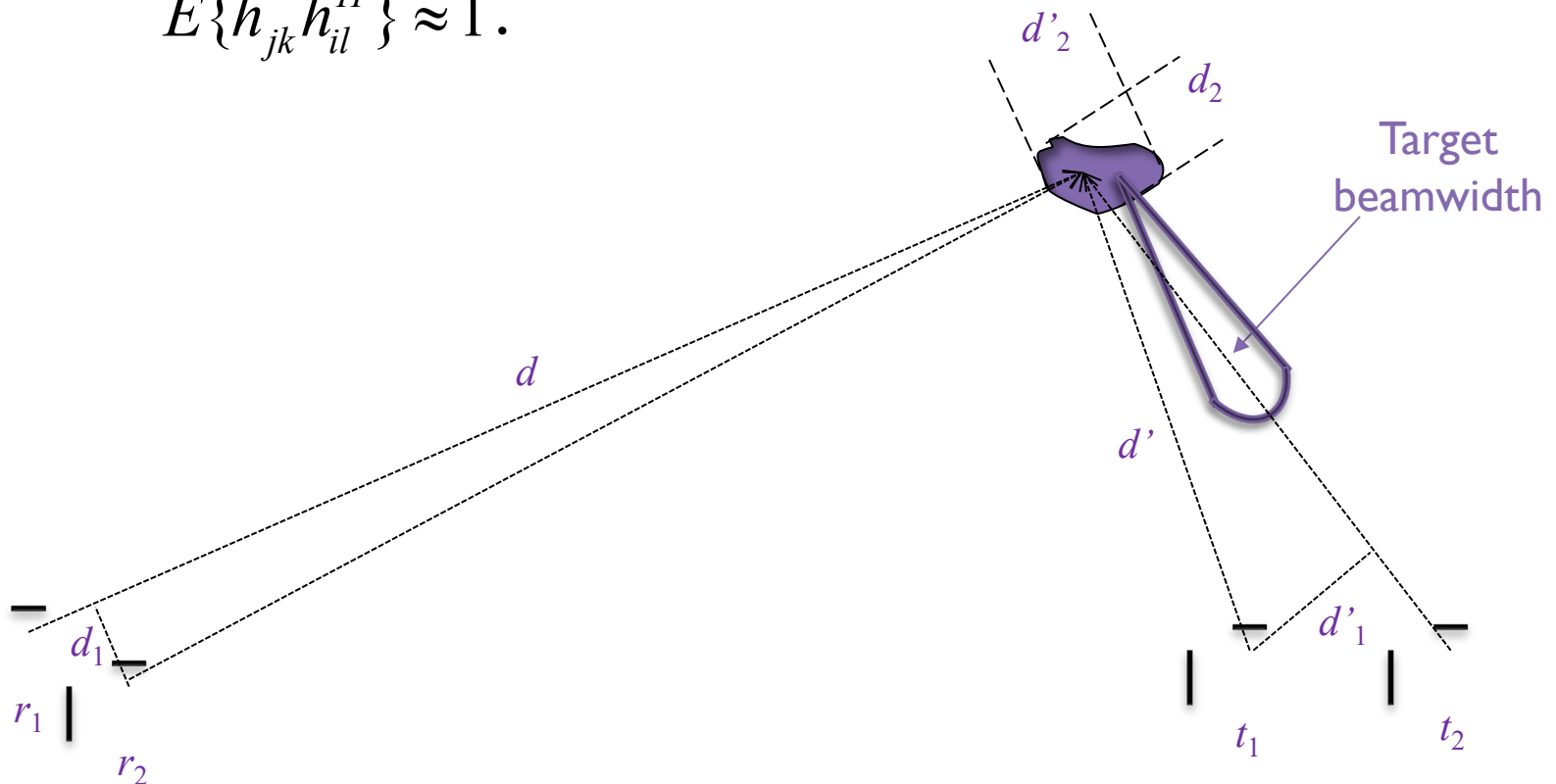
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psd

E. Fishler, A. Haimovich, R. Blum, D. Chizhik, L. Cimini, R. Valenzuela, "Spatial Diversity in Radars - Models and Detection Performance", IEEE Trans on Signal Processing, 2005.



Distributed Target

- It can be shown that $h_{lk} \sim CN(0,1)$
- Take h_{jk} and h_{il} . We can show that if antenna not in single beamwidth then $E\{h_{jk}h_{il}^H\} \approx 0$, otherwise $E\{h_{jk}h_{il}^H\} \approx 1$.



Radar Detection Problem

- The radar detection problem:

Hyp_0 : Target does not exist at point in space

Hyp_1 : Target exists at point in space

- Assume that all the parameters are known. The optimal detector is the LRT detector, and it is given by

$$T = \log \frac{p(\mathbf{r}(t)|\text{Hyp}_1)}{p(\mathbf{r}(t)|\text{Hyp}_0)} > \frac{\delta}{\delta}$$

- The channel matrix $\mathbf{H}$ is unknown, but its distribution is assumed known

$$p(\mathbf{r}(t)|\text{Hyp}_1) = \int p(\mathbf{r}(t)|\mathbf{H}, \text{Hyp}_1) p(\mathbf{H}) d\mathbf{H}$$



Detection with MIMO Radar

- It can be shown that the sufficient statistic for the MIMO radar problem with unknown channel is the vector $\mathbf{x}$, the output of a bank of matched filters.

- Orthogonality of waveform is assumed
- The optimal NP detector is

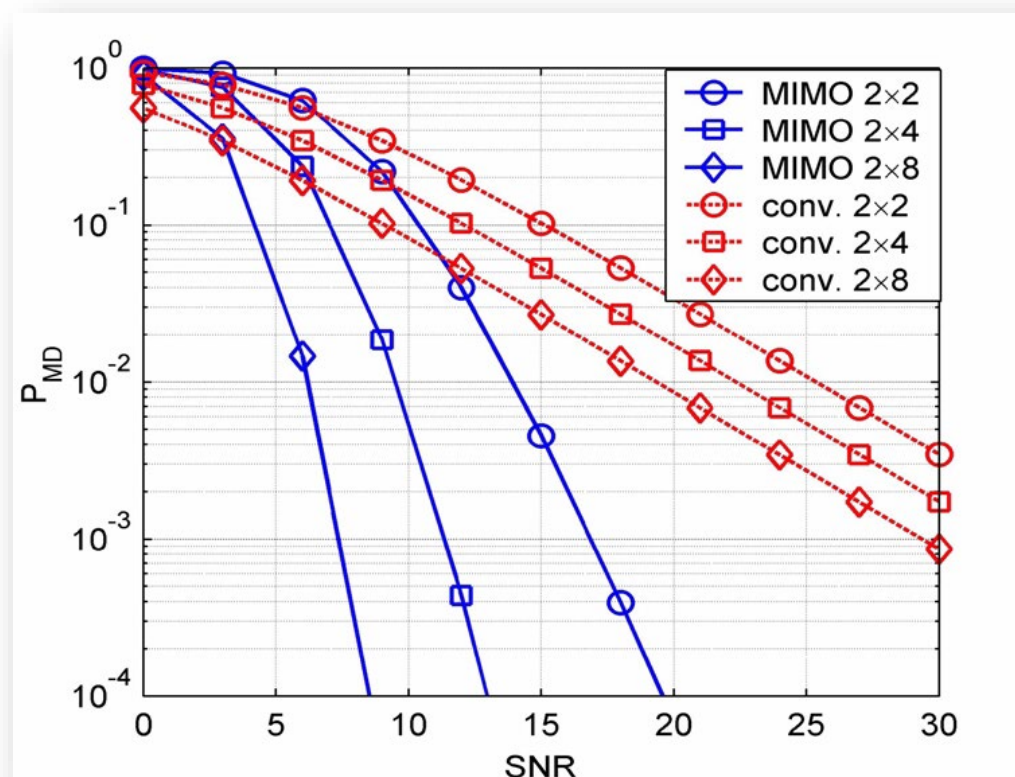
$$T = \|\mathbf{x}\|^2 \begin{matrix} > \text{Hyp}_1 \\ & \delta, \\ < \text{Hyp}_0 \end{matrix} \quad \text{where} \quad \delta = \frac{\sigma_n^2}{2} F_{\chi_{2MN}^2}^{-1} (1 - P_{FA})$$

- Non-coherent processing in a network of MN radars.
UMP Test, invariant extensions...



Prob(Miss) to illustrate Diversity Gain

- MIMO diversity (blue) Beamforming (red)

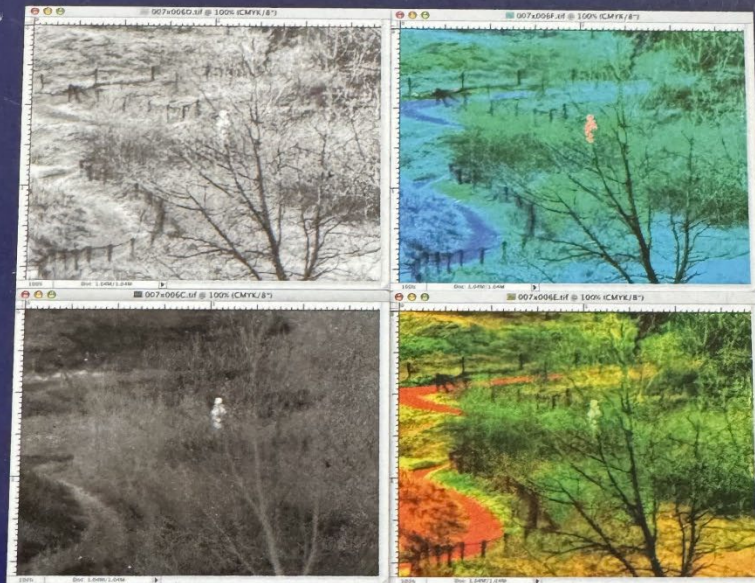


Miss prob versus SNR (fixed false alarm prob 10^{-6})



Image Fusion

Multi-Sensor Image Fusion and Its Applications



edited by
Rick S. Blum and Zheng Liu

Some of our books/papers:

R. S. Blum and Zheng Liu, "Multi-Sensor Image Fusion and Its Applications", CRC Press in the special series on Signal Processing and Communications, 2006.

Z. Zhang and R. S. Blum, "A categorization and study of multiscale-decomposition-based image fusion schemes with a Performance Study for a Digital Camera Application", Proceedings of the IEEE, Aug. 1999, pp. 1315-1328.

Y. Chen, and R. S. Blum, "A New Automated Quality Assessment Algorithm for Image Fusion", Image and Vision Computing, Volume 27, Issue 10, 2 September 2009, Pages 1421-1432
Special Section: Computer Vision Methods for Ambient Intelligence

Questions ?

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